

Remove of surface reflected light

Zhongping Lee, Yu-Hwan Ahn, Curtis Mobley, Robert Arnone

(Hooker et al 2003)

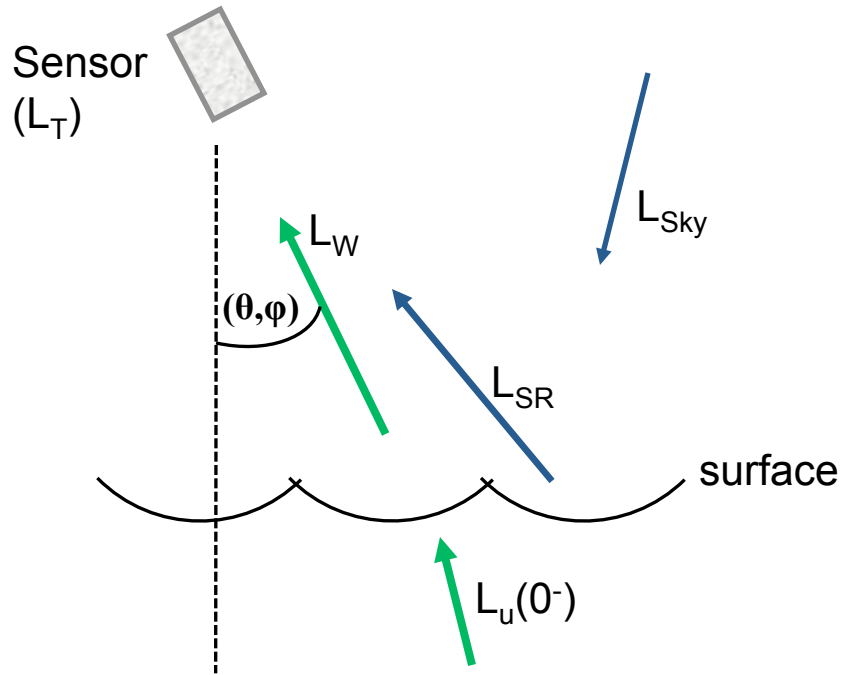
$$R_{rs} = L_w/E_d$$

$$L_t = L_w + \rho L_{\text{sky}}$$

$$R_{\text{rs}} = (L_t - \rho L_s) / \left(\frac{\pi}{R_g} L_g \right) .$$

$$\rho \approx 0.028$$

(Mobley 1999)



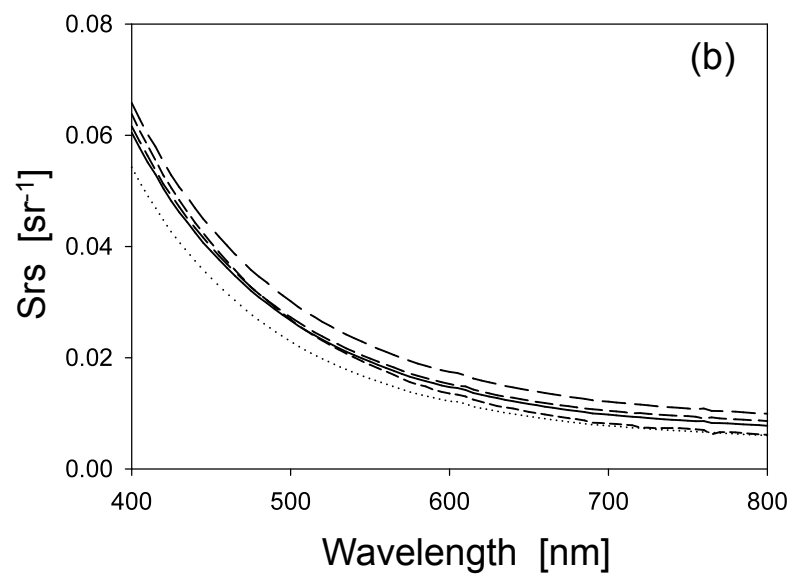
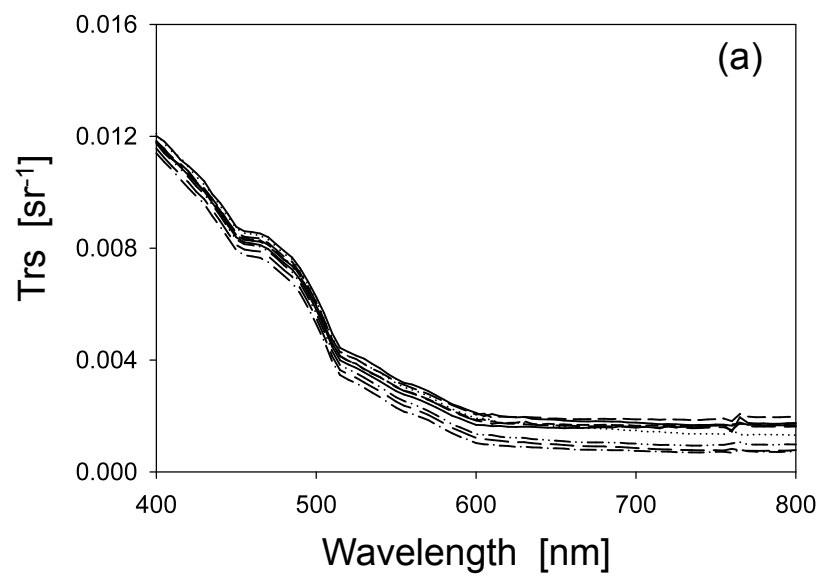
$$L_T(\lambda, \theta, \varphi) = L_W(\lambda, \theta, \varphi) + \sum_i w_i F(\theta_i', \varphi_i', \theta, \varphi) L_{Sky}(\lambda, \theta_i', \varphi_i').$$

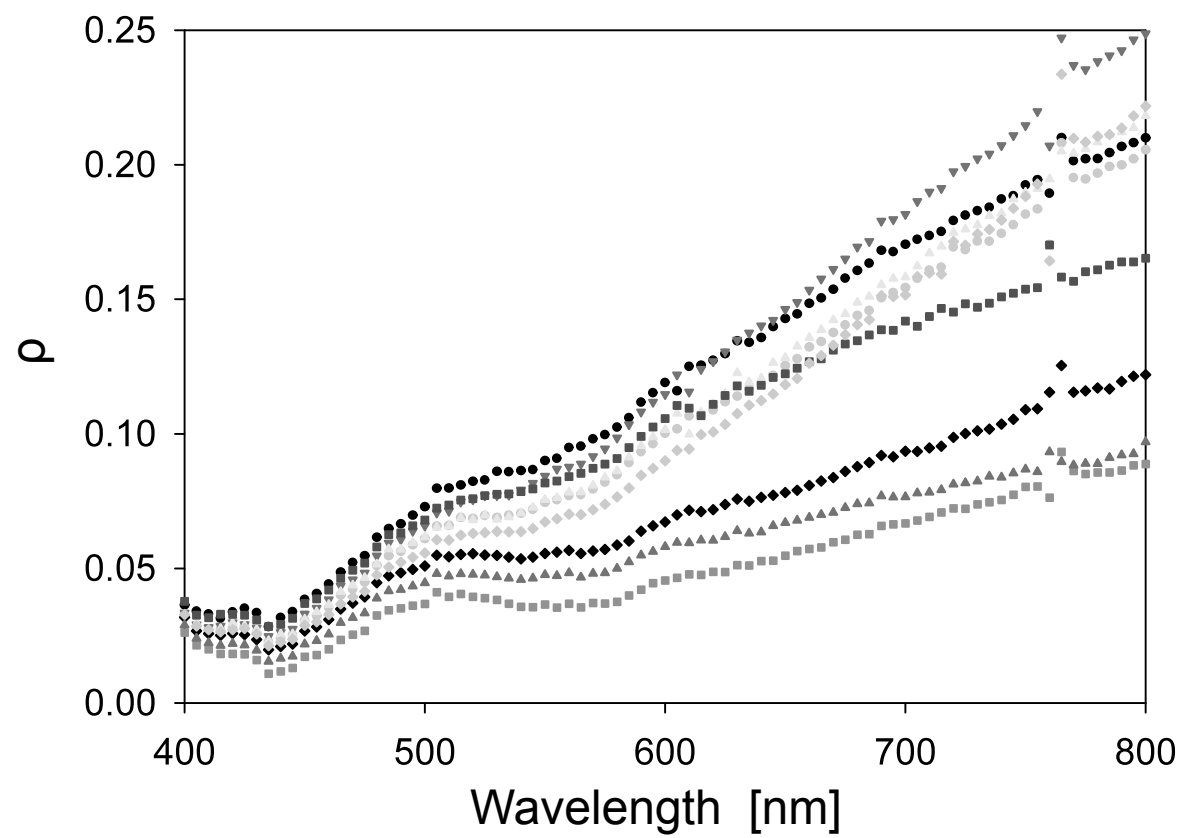
$$L_T(\lambda, \theta, \varphi) = L_W(\lambda, \theta, \varphi) + \rho(\theta, \varphi) L_{Sky}(\lambda, \theta', \varphi).$$

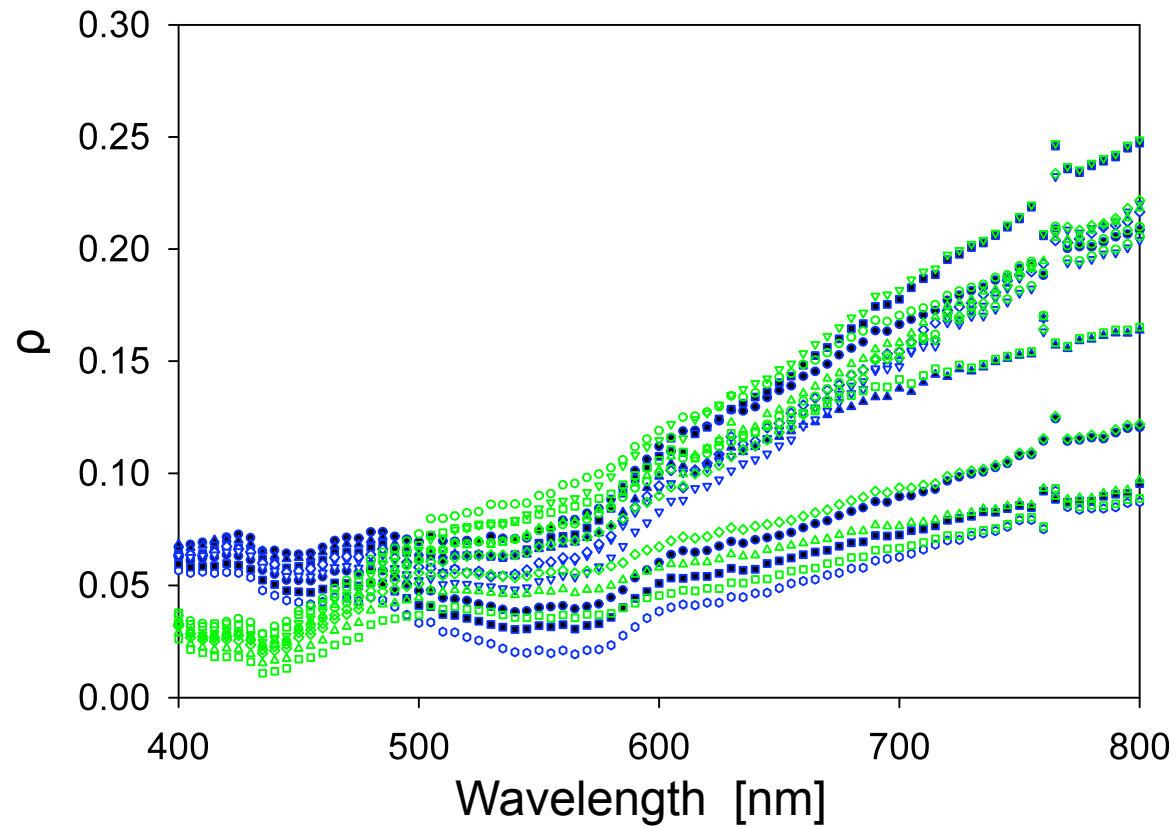
$$\rho(\theta, \varphi) = \frac{L_T(\lambda, \theta, \varphi) - L_W(\lambda, \theta, \varphi)}{L_{Sky}(\lambda, \theta', \varphi)}.$$

$$T_{rs} = L_t/E_d; \quad S_{rs} = L_{sky}/E_d$$

$$\rho(\theta, \varphi) = \frac{T_{rs}(\lambda, \theta, \varphi) - R_{rs}(\lambda, \theta, \varphi)}{S_{rs}(\lambda, \theta', \varphi)}.$$

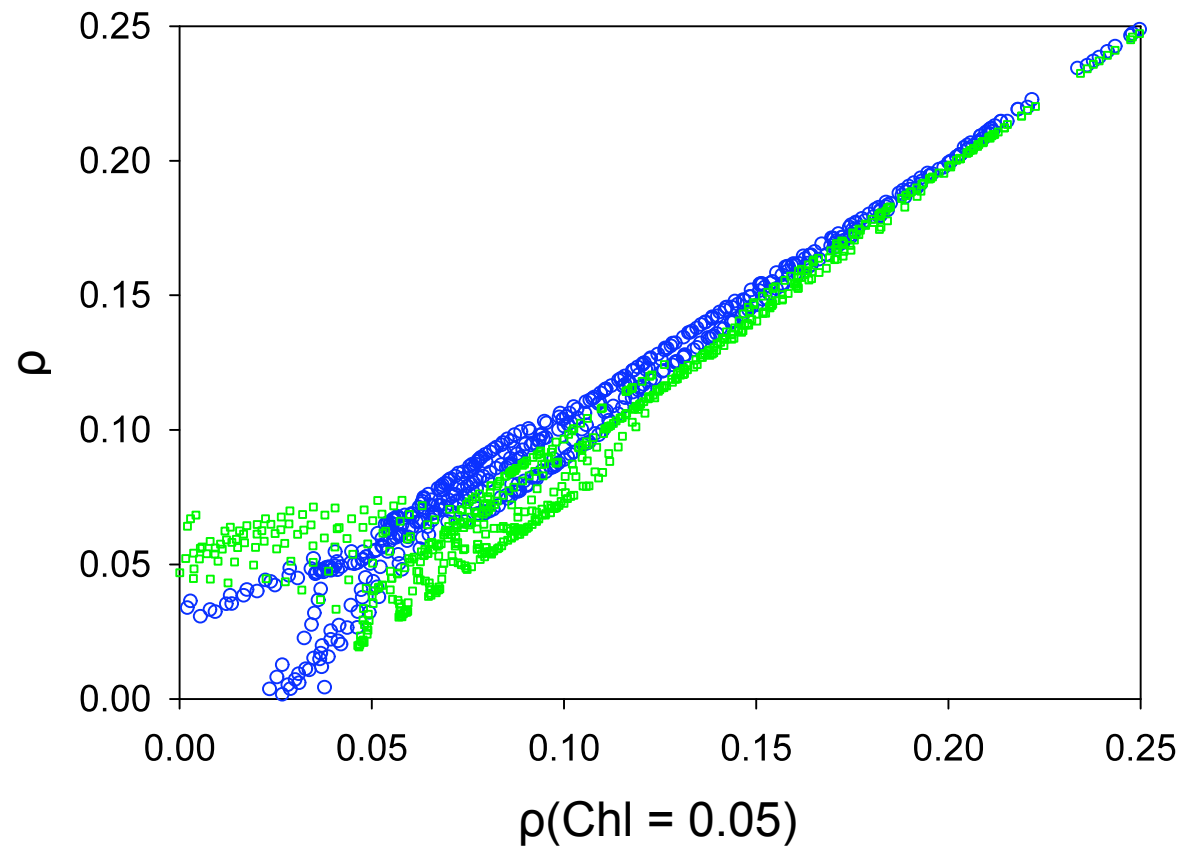






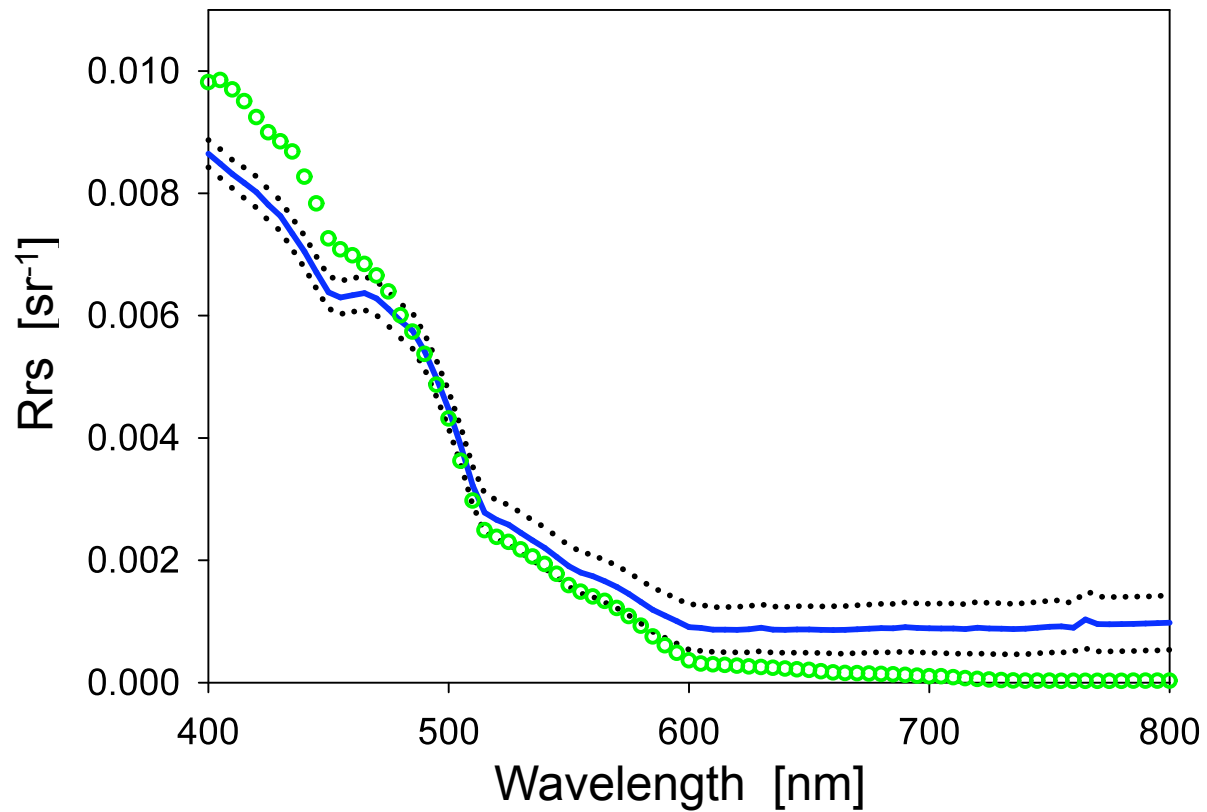
with two different Chl values:

Blue: Chl = 0.1 mg/m³; **green,** Chl = 0.05 mg/m³.



Blue: between $\rho(\text{Chl} = 0.05)$ and $\rho(\text{Chl} = 0.025)$

Green: between $\rho(\text{Chl} = 0.05)$ and $\rho(\text{Chl} = 0.1)$



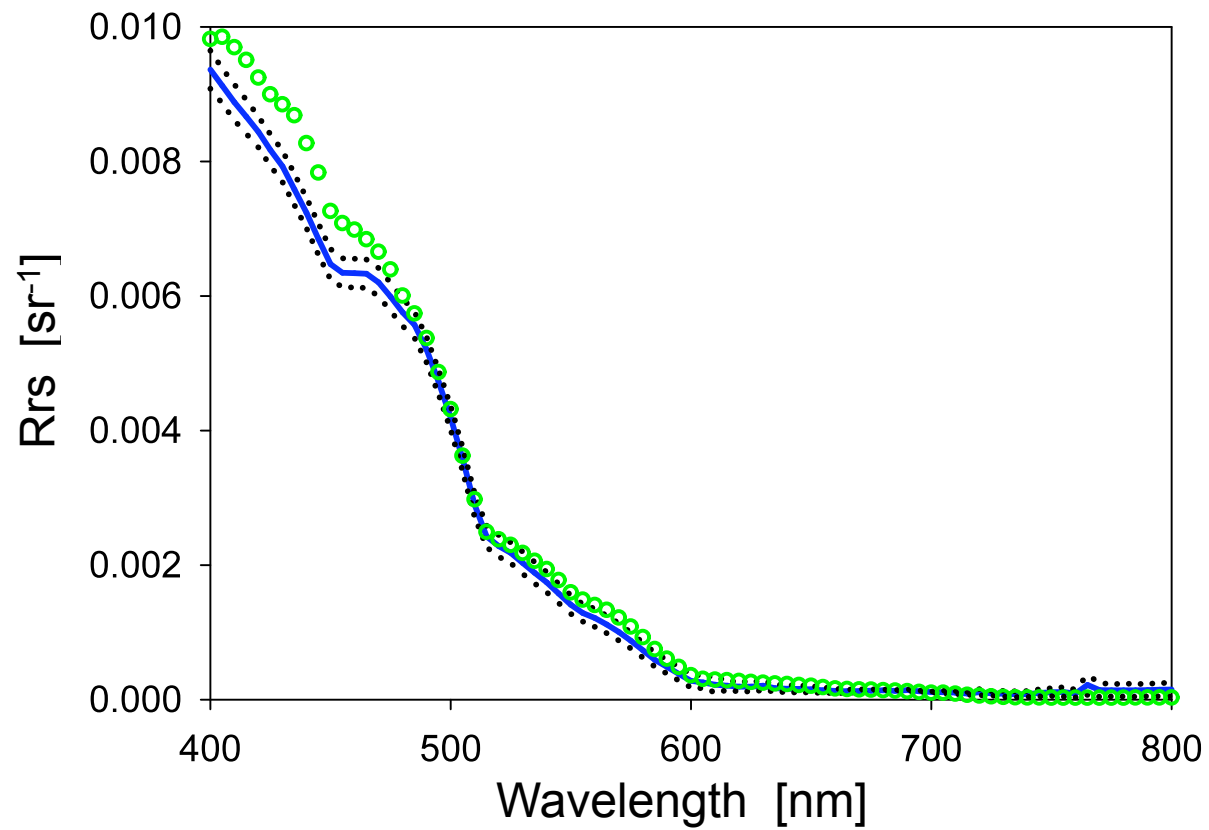
Green: modeled R_{rs} with $\text{Chl} = 0.05 \text{ mg/m}^3$ using Morel-Maritorena Case-1 model.

$$L_T(\lambda, \theta, \varphi) = L_W(\lambda, \theta, \varphi) + w_0 F(\theta, \varphi) L_{Sky}(\lambda, \theta', \varphi) + \sum_{i=1} w_i F(\theta_i', \varphi_i', \theta, \varphi) L_{Sky}(\lambda, \theta_i', \varphi_i').$$

$$T_{rs}(\lambda, \theta, \varphi) \approx R_{rs}(\lambda, \theta, \varphi) + F(\theta, \varphi) S_{rs}(\lambda, \theta', \varphi) + \sum_{i=1} w_i F(\theta_i', \varphi_i', \theta, \varphi) S_{rs}(\lambda, \theta_i', \varphi_i').$$

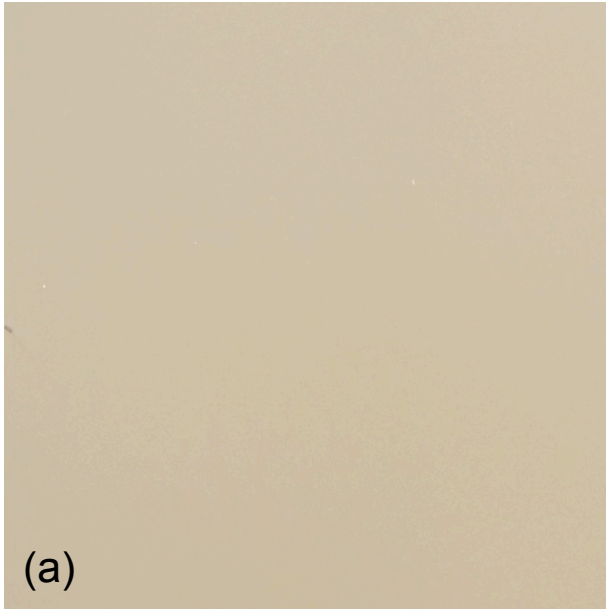
$$T_{rs}(\lambda, \theta, \varphi) \approx R_{rs}(\lambda, \theta, \varphi) + F(\theta, \varphi) S_{rs}(\lambda, \theta', \varphi) + \Delta(\theta, \varphi),$$

$$R_{rs}(\lambda, \theta, \varphi) \approx T_{rs}(\lambda, \theta, \varphi) - F(\theta, \varphi) S_{rs}(\lambda, \theta', \varphi) - \Delta(\theta, \varphi).$$

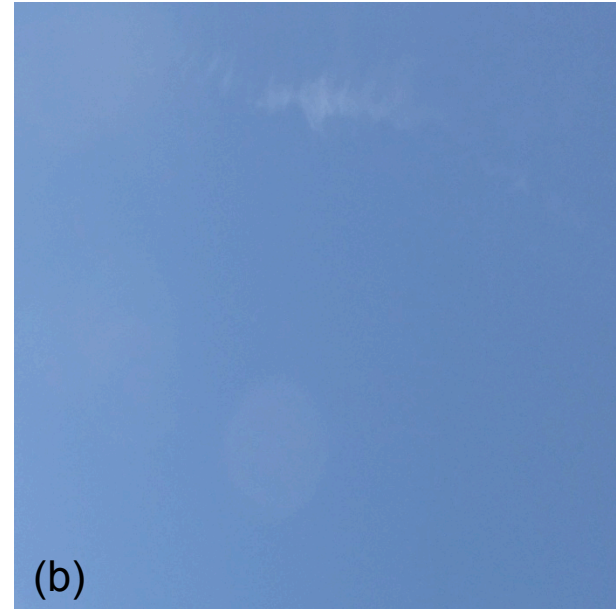


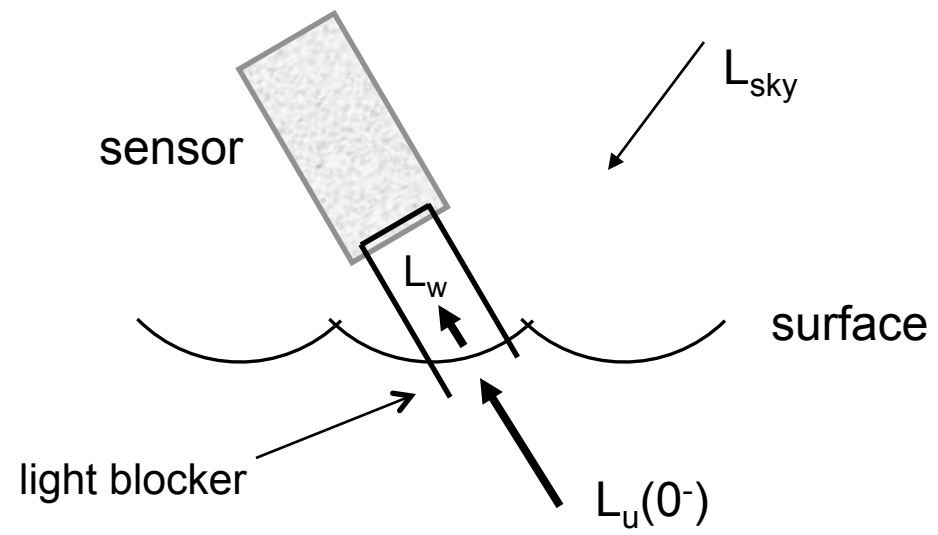
Blue line: Rrs calculated with a spectral optimization scheme.

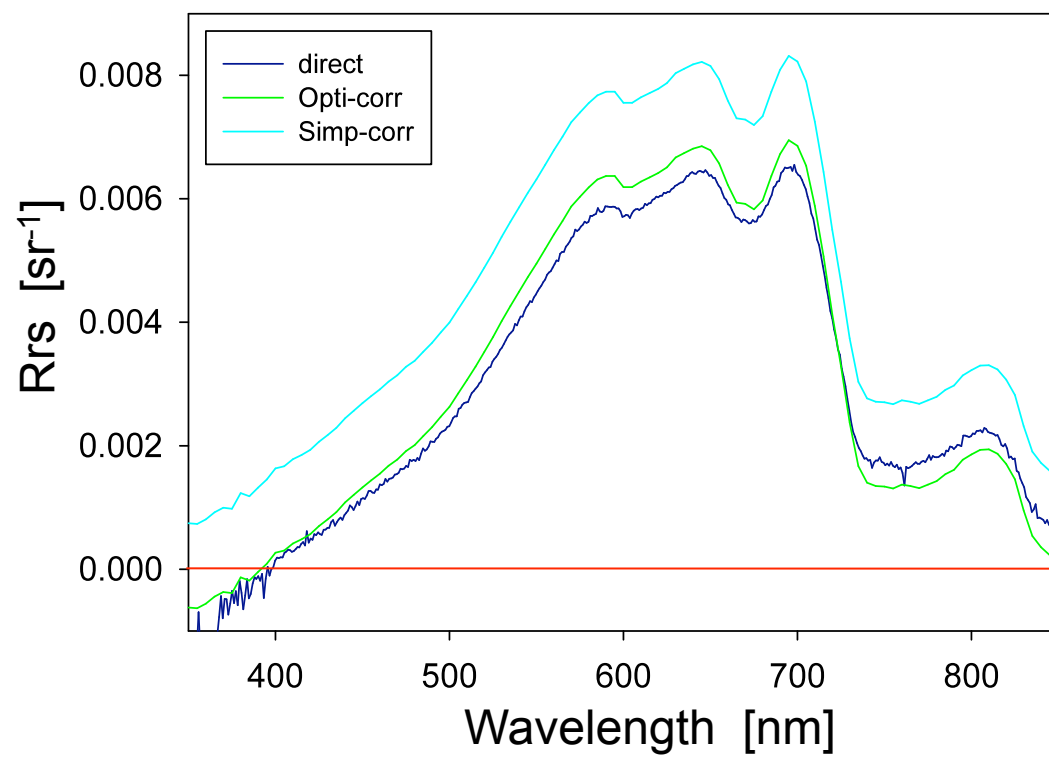
Color of river water



Color of sky







Conclusion:

1. ρ in general varies with wavelength.
2. Surface-reflected light can be better removed using either “software” or “hardware”.

Correct Angular Variation of Remote Sensing Reflectance based on IOPs

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Outline:

1. Background

2. Rrs model

3. IOP retrieval and BRDF correction

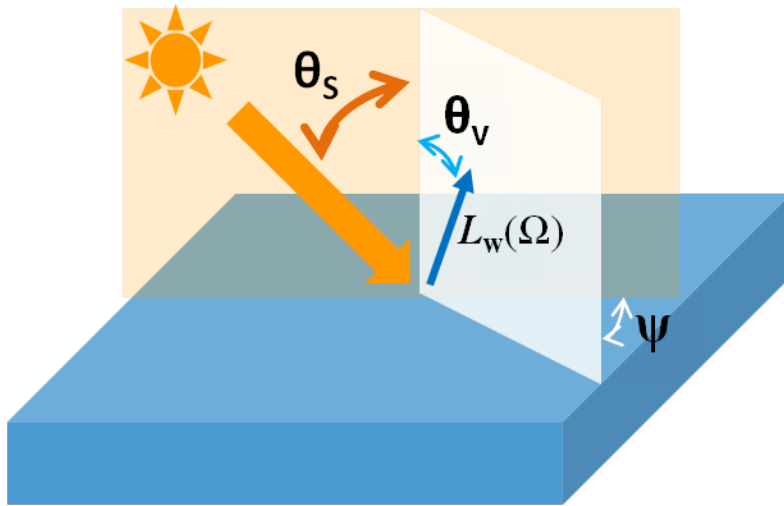
4. Summary

1. Background

Why BRDF Correction?



Bidirectional Reflectance Distribution Function



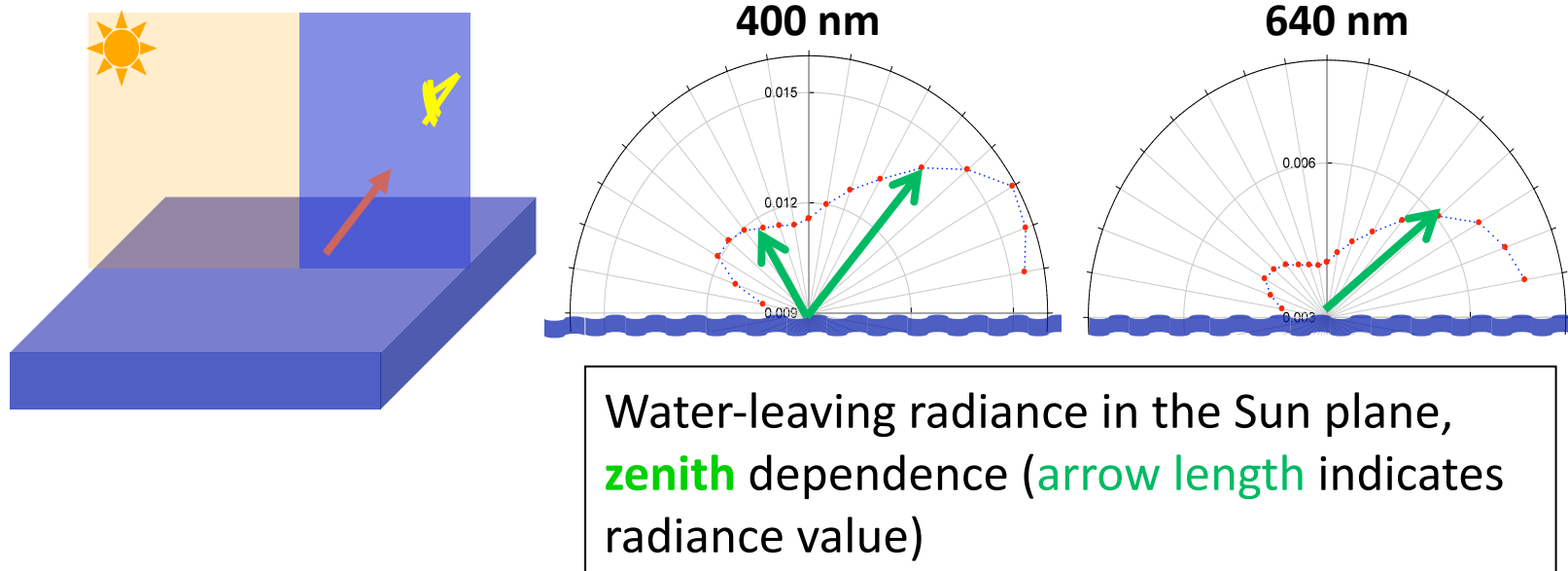
$\theta_s \quad \theta_v \quad \psi$
 $\Omega(10, 20, \underline{30})$

measured photons going further away from Sun (~forward scatter)

$\Omega(10, 20, \underline{150})$

measured photons going closer to Sun (~backscatter)

1. Background (cont.)



Bottom line: **Water-leaving radiance, L_w , is a function of angles.**

BRDF correction: Correct this angular dependence

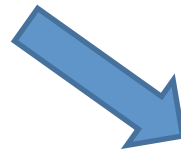
1. Background (cont.)

$$R_{rs}(\Omega) = \frac{L_w(\Omega)}{E_d(0^+)}$$

Rrs is a function of angles, too.

Define subsurface remote-sensing reflectance as

$$r_{rs}(\Omega) = \frac{L_u(\Omega, 0^-)}{E_d(0^-)}$$



$$R_{rs}(\Omega) = \Re(\Omega) r_{rs}(\Omega)$$



Cross-surface parameter

1. Background (cont.)

further

$$\Rightarrow r_{rs}(\Omega) = \frac{f}{Q}(\Omega) \frac{b_b}{a + b_b} = g(\Omega) \frac{b_b}{a + b_b}$$

From radiative transfer equation (Zaneveld 1995)

$$r_{rs} \equiv \frac{D_d}{c + k_L - f_L b_f} \frac{\int_0^{2\pi} \int_0^{\frac{\pi}{2}} \beta(\pi - \theta') L(\theta', \varphi') \sin(\theta') d\theta' d\varphi'}{E_{od}}$$

Phase function shape is a key property!

1. Background (cont.)

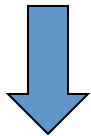
Only two ideal conditions can we “precisely” correct BRDF effects:

1. Completely diffused distribution (Lambertian).
2. The phase function shape and IOPs are known exactly.

Remote sensing is not in ideal conditions:
BRDF correction is an approximation!

The “Case 1” strategy

All other components co-vary with [Chl]



$$a = F_1([Chl])$$

$$b_b = F_2([Chl])$$

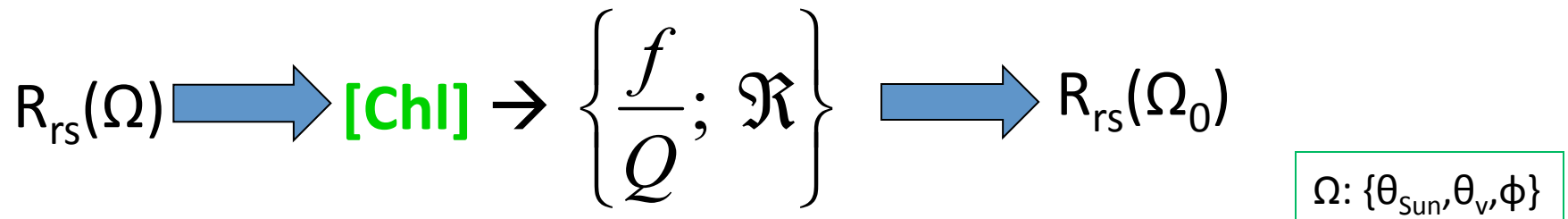
$$R_{rs} = F\left(\frac{b_b}{a + b_b}\right) \longrightarrow R_{rs} = F([Chl])$$

(Morel 1988, Morel and Maritorena, 2001)

Case₁ approach to correct angular variation (BRDF):

$$R_{rs} = \Re \frac{f}{Q} \{[Chl]\}; \quad \frac{f}{Q} = F\{\theta_{Sun}, \theta, \varphi, \lambda, [Chl]\} \left\{ \frac{a_{CDOM}}{[Chl]}, \frac{b_{bp}}{[Chl]}, \tilde{\beta} \right\}$$

BRDF correction data flow:



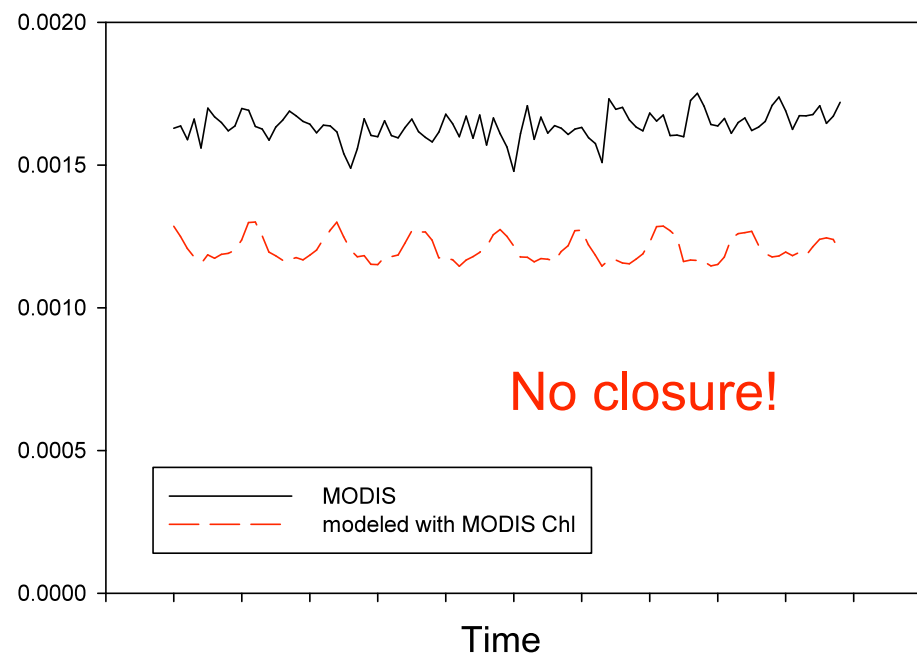
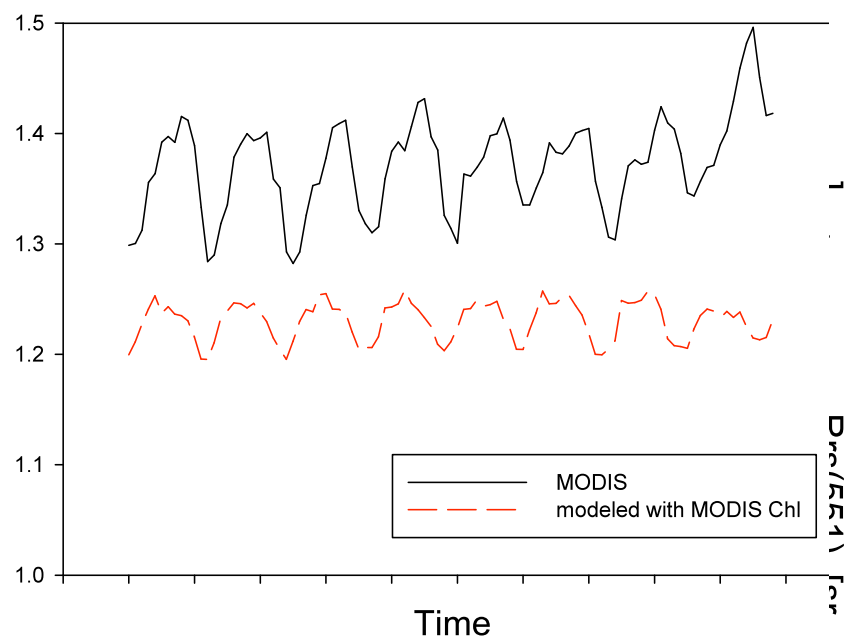
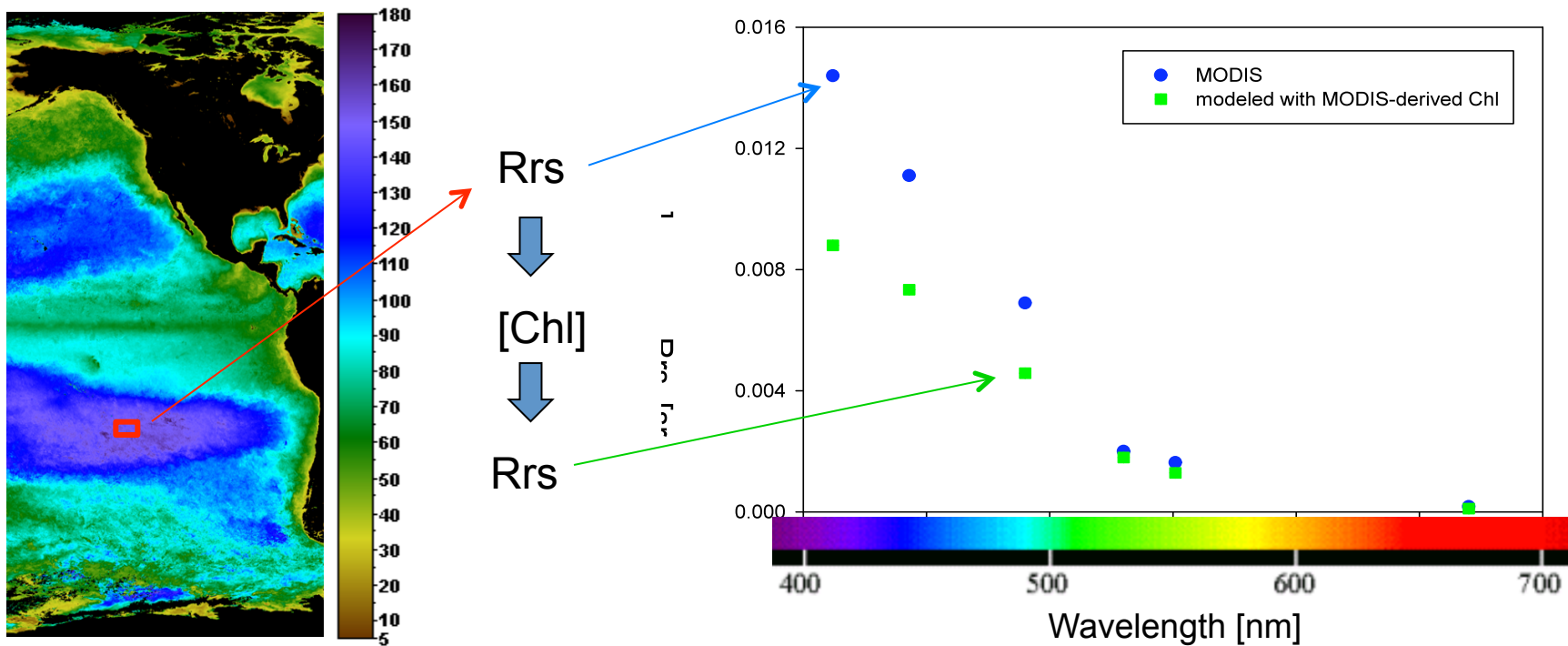
Advantage:

[Chl] is the only in-water property required.

Caveats:

Require waters to follow the Case₁ bio-optical relationships, e.g. fixed CDOM:Chl and b_p :Chl dependences.

Remotely it is difficult to know if a pixel belongs to Case-1 or not.



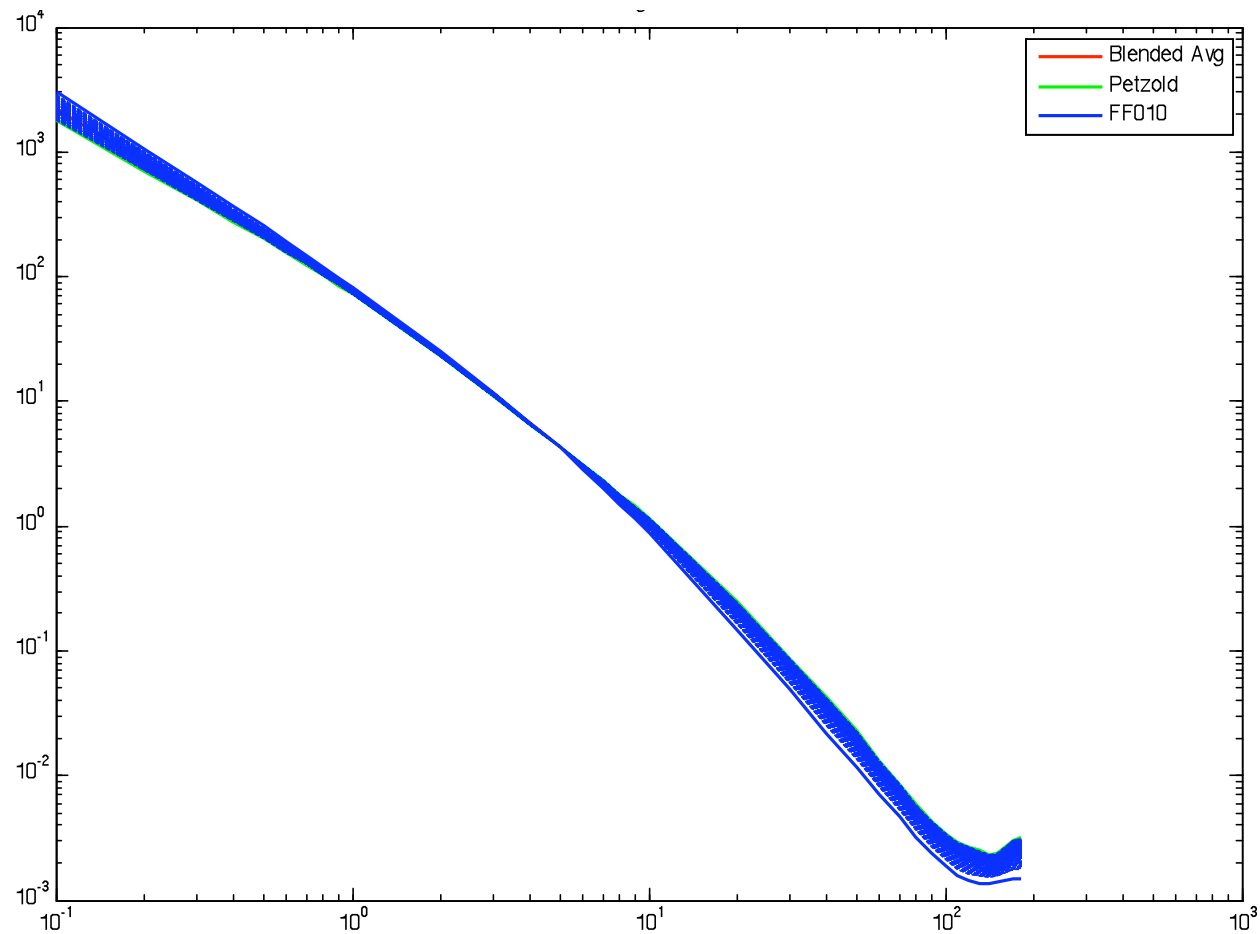
1. Background (cont.)

Objectives of IOP-based BRDF Correction:

1. reduce or minimize the dependency on empirical bio-optical relationships.
2. avoid the Case-1 assumption.
3. Model coefficients vary with angular geometry only.

2. Rrs model

a. Particle phase function shape



2. Rrs model (cont.)

b. Hydrolight simulations:

θ_s : 0, 15, 30, 45, 60, 75

θ_v : 0, 10, 20, 30, 40, 50, 60, 70

ψ : 0 – 180° with a 15° step

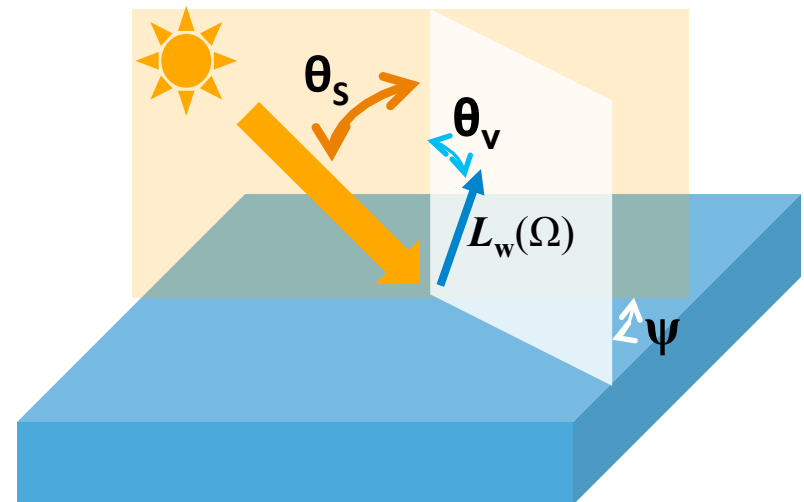
λ : 400 – 760 nm

$b_b/(a+b_b)$: 0 – 0.5



$$G(\Omega) = \frac{R_{rs}(\Omega)}{\frac{b_b}{a + b_b}}$$

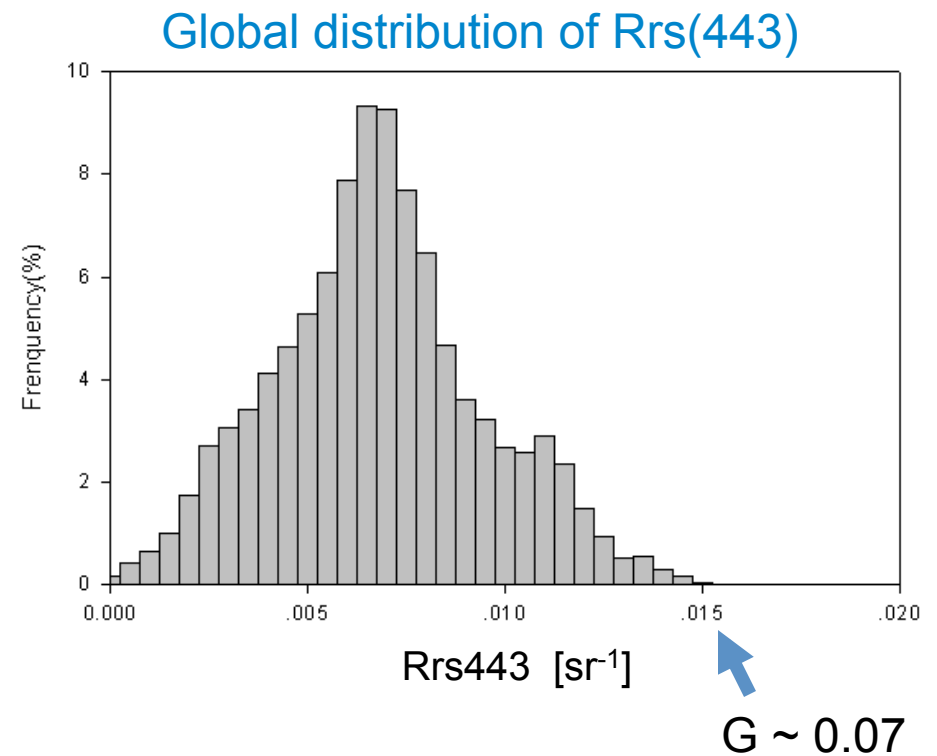
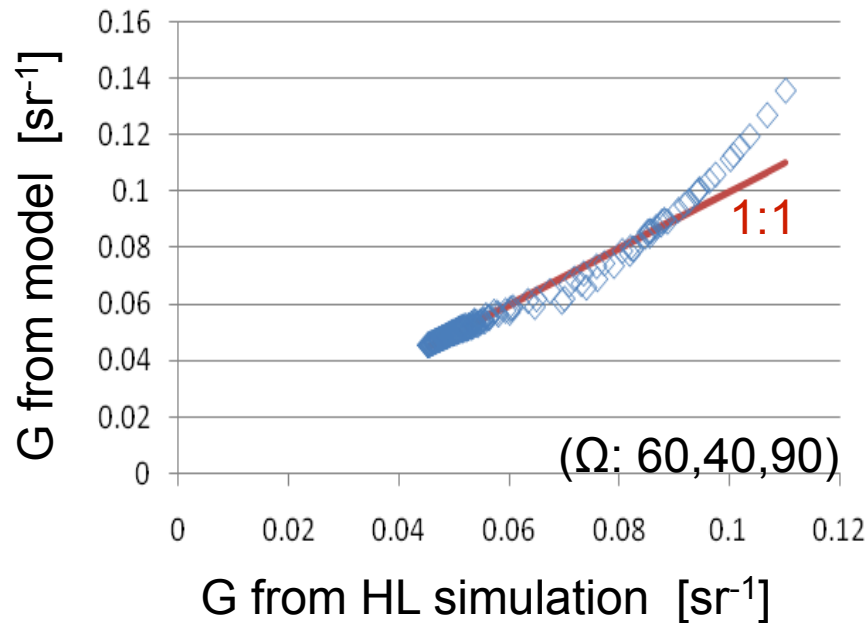
With the blended
phase function
shape



2. Rrs model (cont.)

A *practical* choice for algebraic inversion

$$R_{rs}(\Omega) = \left(G_0^w(\Omega) + G_1^w(\Omega) \frac{b_{bw}}{a + b_b} \right) \frac{b_{bw}}{a + b_b} + \left(G_0^p(\Omega) + G_1^p(\Omega) \frac{b_{bp}}{a + b_b} \right) \frac{b_{bp}}{a + b_b}$$

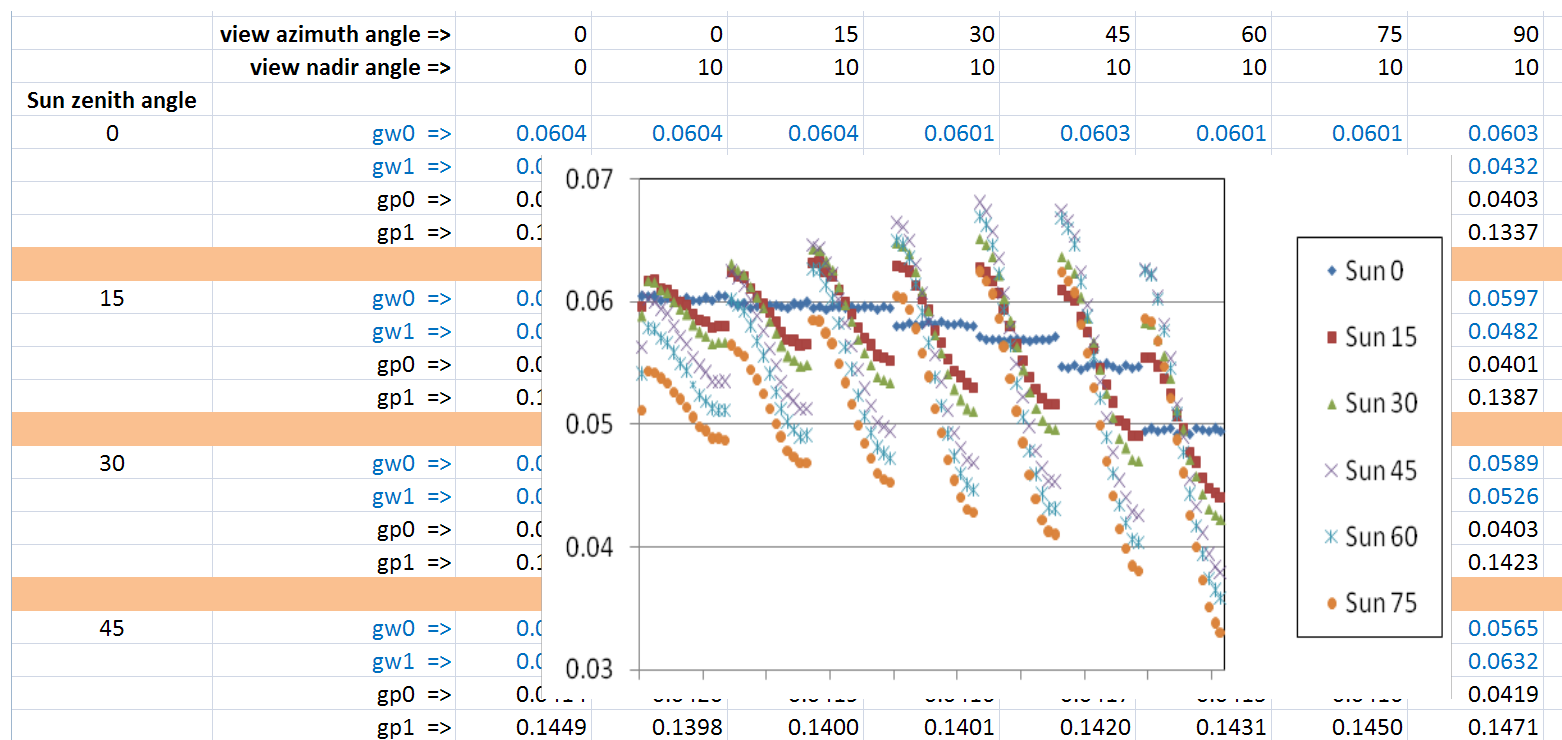


2. Rrs model (cont.)

(with 5 m/s wind)

Table ((7x13+1)x4x6) array, 2208 elements) of $\{G(\Omega)\}$

(if based on Chl, it is 6x13x7 = 546 elements per band per Chl)



Angular-dependent model coefficients for $Rrs(\Omega)$ are now available.

3. IOP retrieval and BRDF correction

IOP approach

$$\text{Rrs}(\Omega) \rightarrow \{a \& b_b\} \rightarrow G[0] \rightarrow \text{Rrs}[0]$$

$G[\Omega]$ ↑

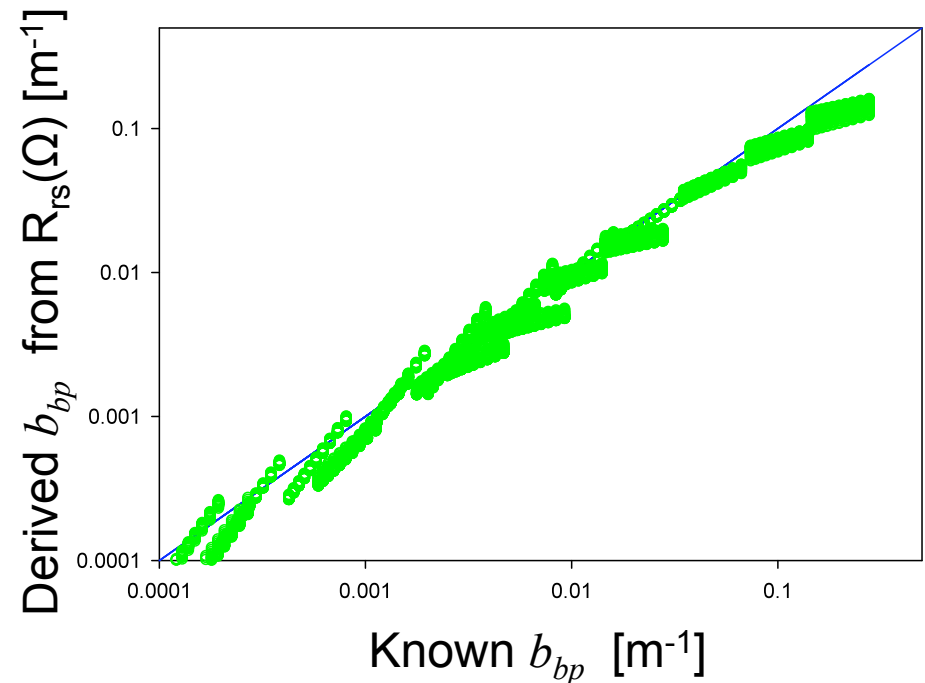
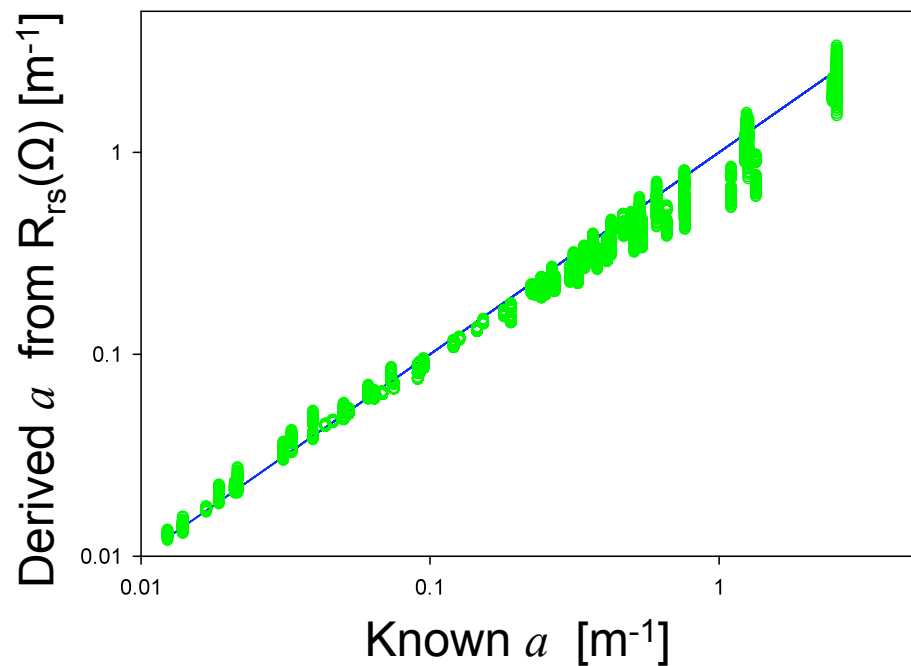
QAA, optimization, linear matrix, etc.

3. IOP retrieval and BRDF correction (cont.)

Retrieval and correction examples

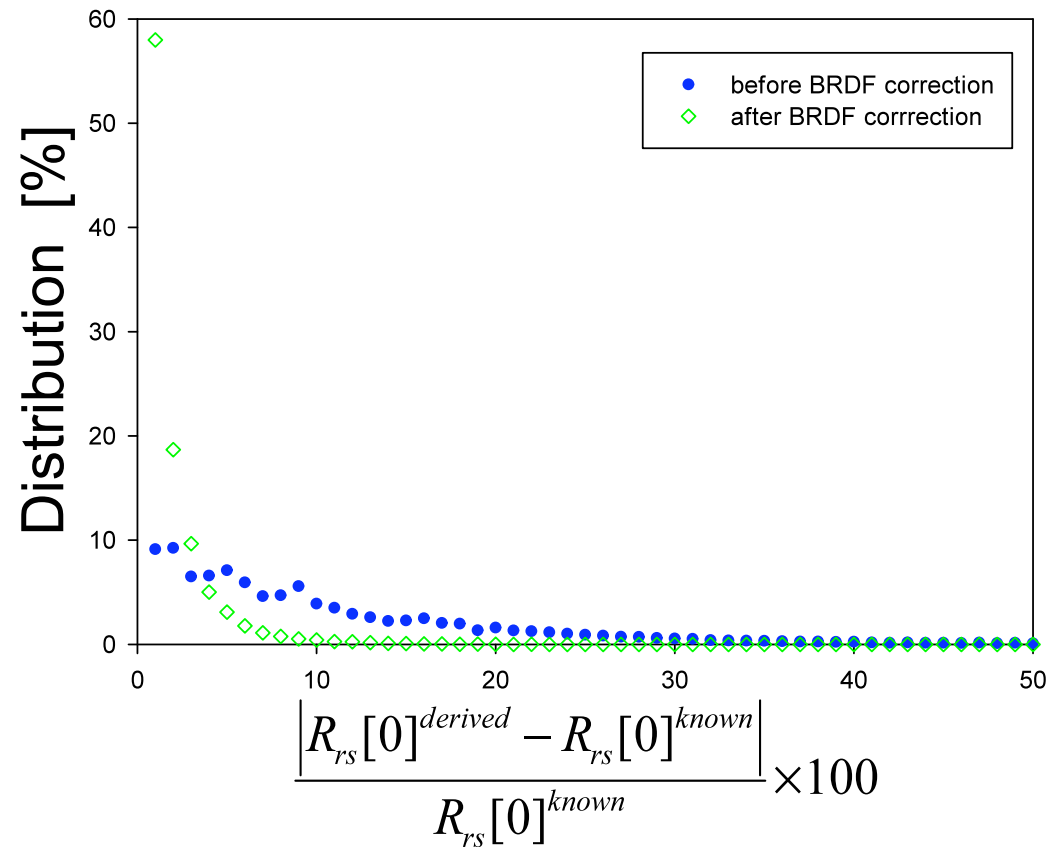
HL simulated data: Sun at 60°, 10-70° view angles and 0-180° azimuth
Wavelength: 400 – 760 nm

Comparison of IOPs (via QAA)



3. IOP retrieval and BRDF correction (cont.)

Comparison of Rrs[0]

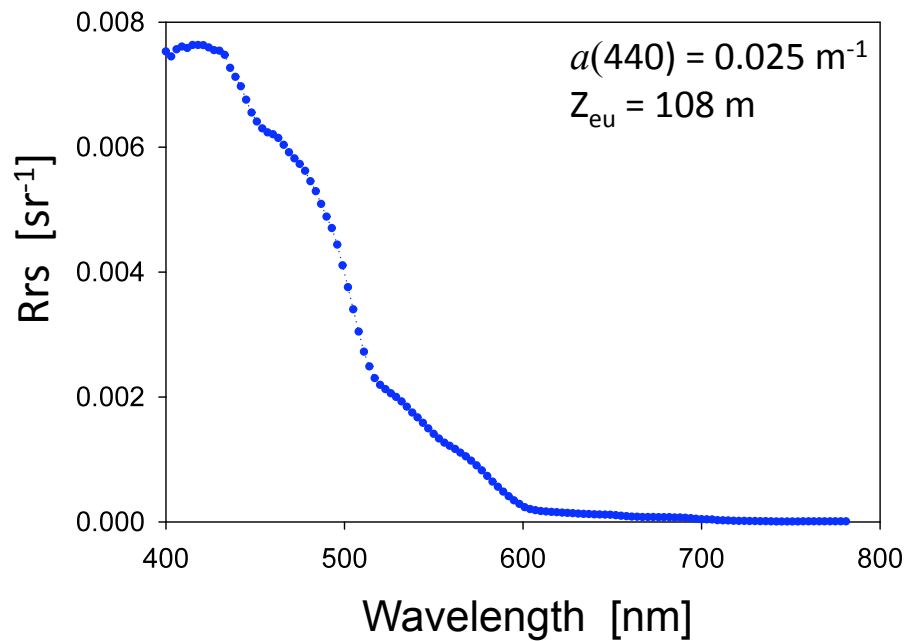


Before correction: 63% & 38% are within 10% and 5%, respectively.

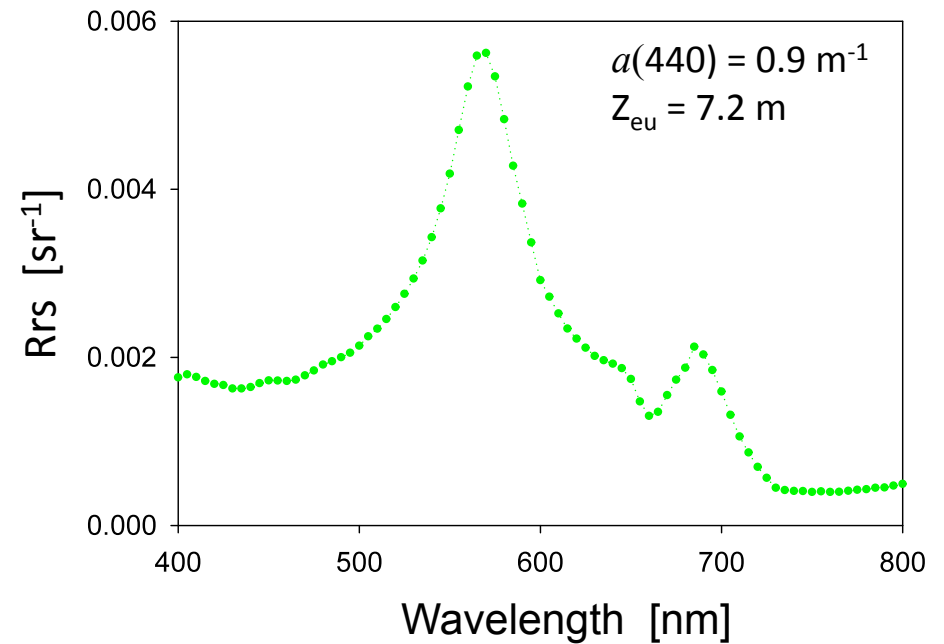
After correction: 99% & 95% are within 10% and 5%, respectively

3. IOP retrieval and BRDF correction (cont.)

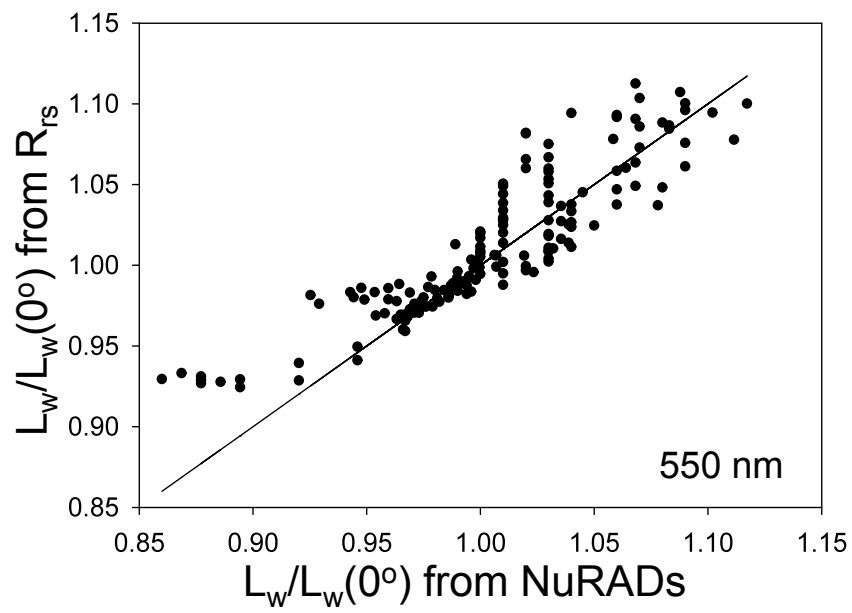
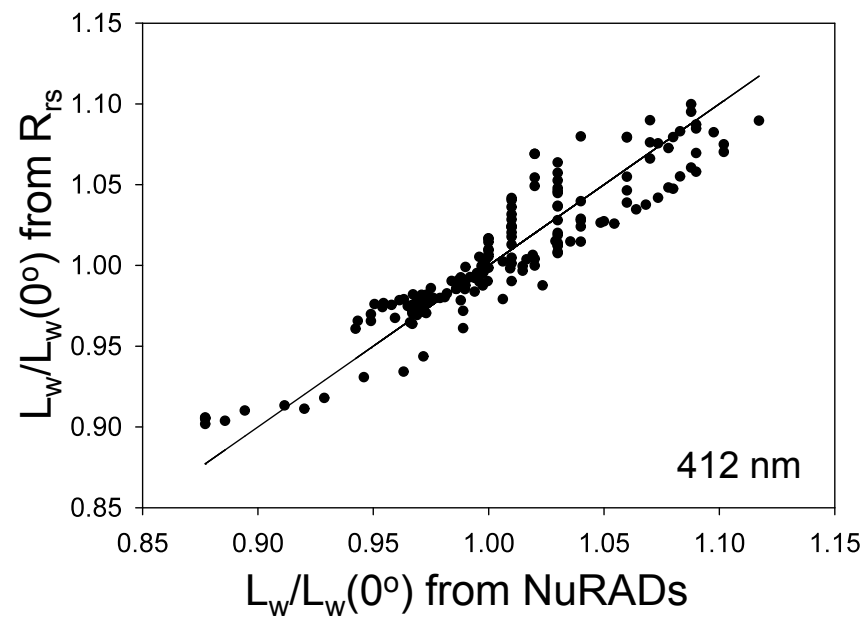
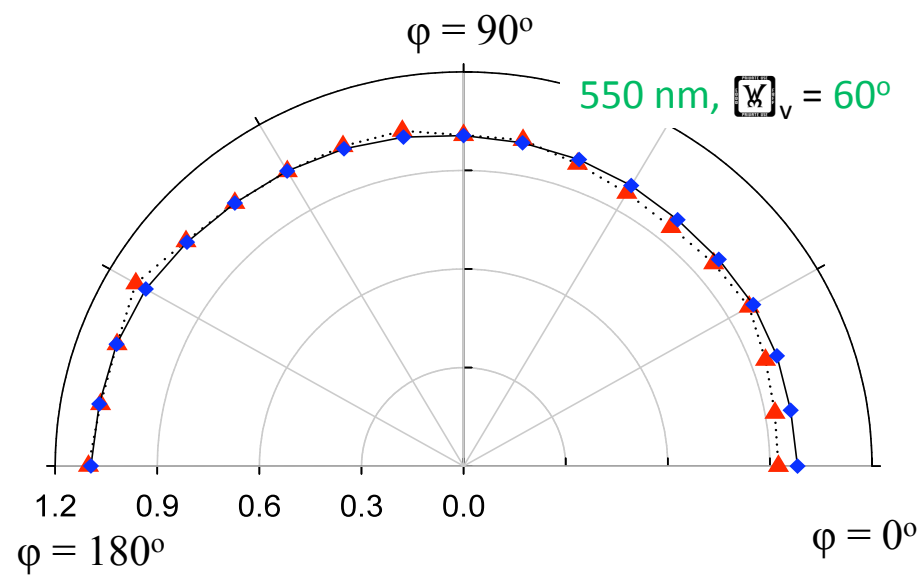
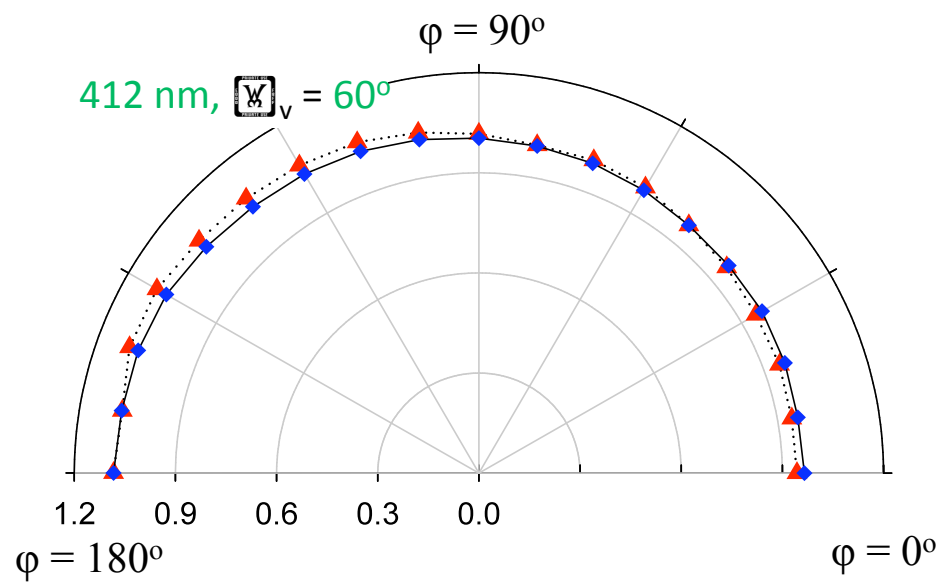
Field measured data

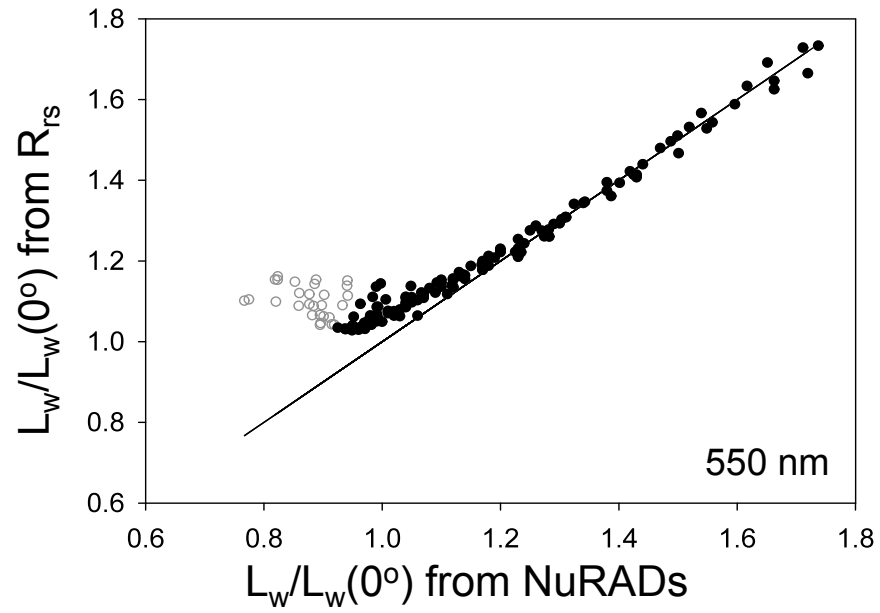
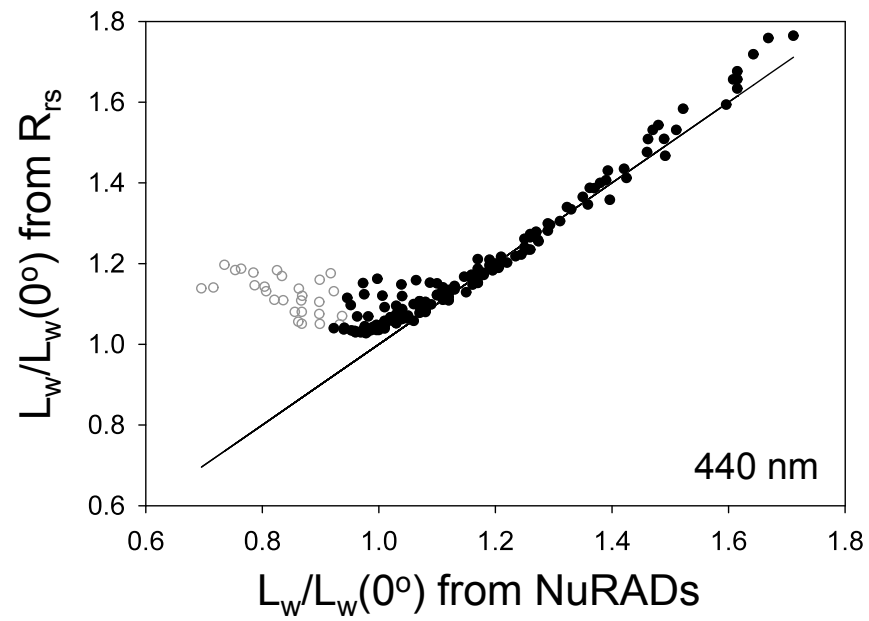
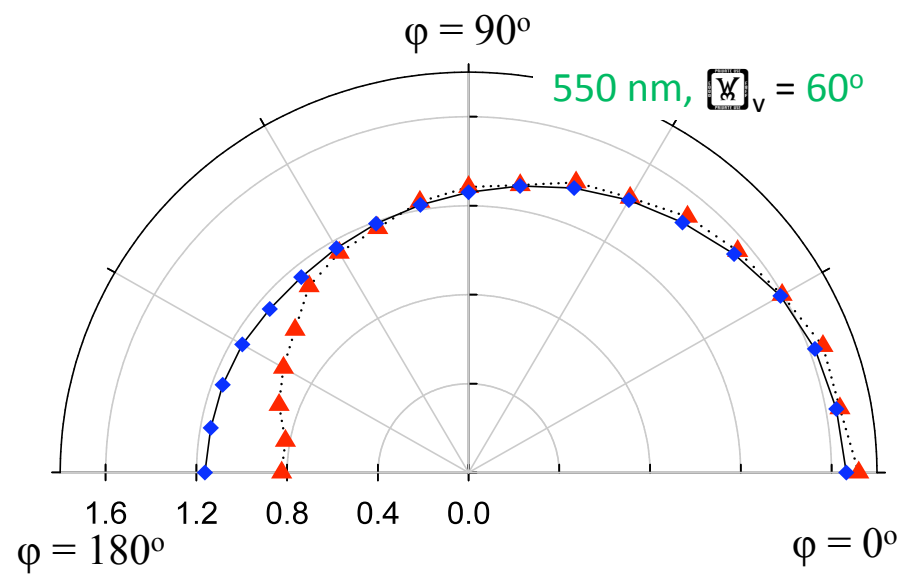
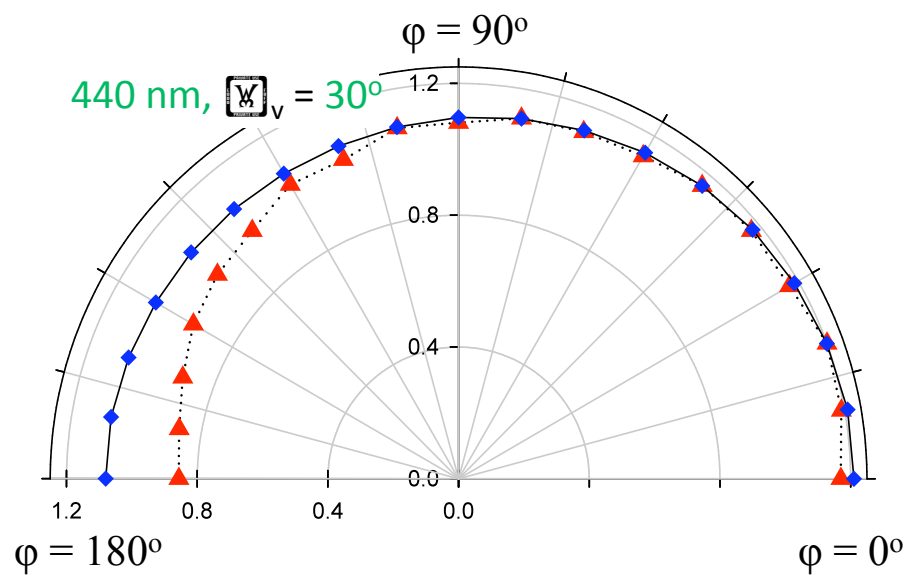


Mediterranean Sea, 20040807;
Sun at 30°



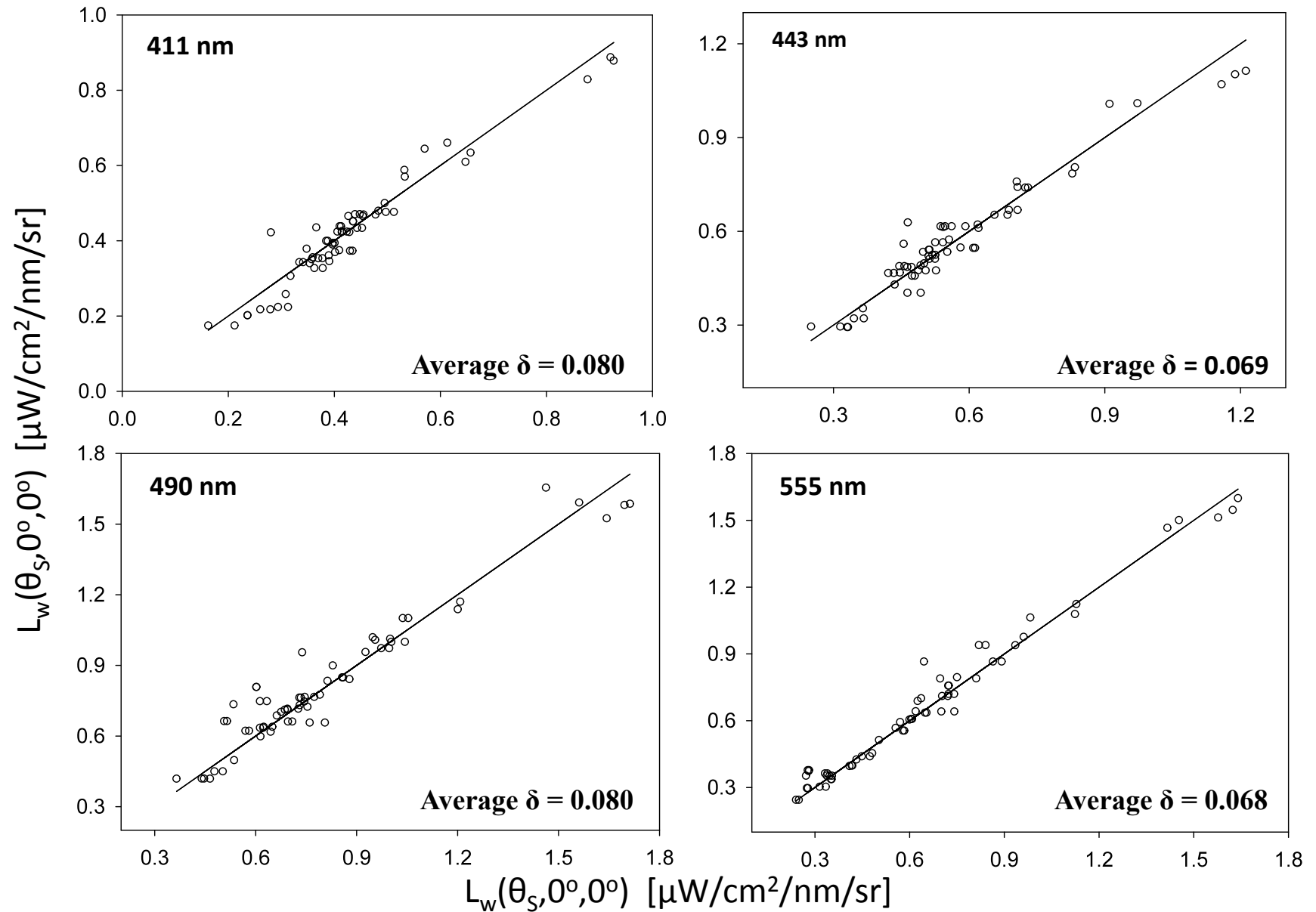
Mont. Bay 20060915;
Sun at 60°





(between SeaPrism and in-water spectrometer)

nLw comparison (X-axis: $L_w(\text{WIS})$; Y-axis: nLw from $L_w(40,90)$)



4. Summary

- A. Without known PPFS precisely, BRDF correction is an approximation.
- B. The model parameter for R_{rs} is **not** a monotonic function of $b_b/(a + b_b)$. Separating the angular effects of molecule and particle scatterings are important for deriving particle scattering coefficient in oceanic waters.
- C. Models and procedures to derive IOPs from angular R_{rs} , and then to correct the angular dependence, are now developed. This approach can be applied to both multi-band and hyperspectral data, and **no** need to assume waters be Case-1.
- D. Excellent results (99% are within 10% error after BRDF correction) are achieved with HL simulated data.
- E. Robust results are achieved with field measured data, but more tests/evaluation are necessary.

Thank you!